Name: _				Susilo	Koslowski
(Print)	(Last)	(First)	(Circle)	Div 1	Div 2

## ME 323 MIDTERM EXAM 1 Spring 2011 8:00 PM – 9:00 PM

## Instructions

- 1. Work each problem in the space provided.
- 2. Confine your work to the front side of the pages only.
- 3. Additional paper will be provided upon request.
- 4. Each problem is of equal value.
- 5. To obtain maximum credit for a problem, you must present your solution clearly. Accordingly:
  - a. Identify coordinate systems
  - b. Sketch free body diagrams
  - c. State units explicitly
  - d. Clarify your approach to the problem including assumptions
  - e. Clearly mark final answers with boxes
- 6. If your solution cannot be followed, it will be assumed that it is in error.

Prob. 1	
Prob. 2	
Prob. 3	
Total	

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# Some useful formulas

$$\varepsilon_{x} = \frac{1}{E} \left[ \sigma_{x} - v \left( \sigma_{y} + \sigma_{z} \right) \right] + \alpha \Delta T$$

$$\varepsilon_{y} = \frac{1}{E} \left[ \sigma_{y} - v \left( \sigma_{x} + \sigma_{z} \right) \right] + \alpha \Delta T$$

$$\varepsilon_{z} = \frac{1}{E} \left[ \sigma_{z} - v \left( \sigma_{x} + \sigma_{y} \right) \right] + \alpha \Delta T$$

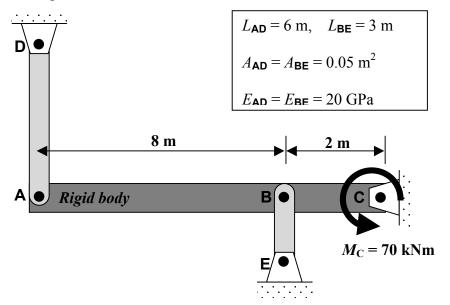
$$\gamma_{xy} = \frac{1}{G} \tau_{xy} \quad \gamma_{xz} = \frac{1}{G} \tau_{xz} \quad \gamma_{yz} = \frac{1}{G} \tau_{yz}$$

$$FS = \frac{Failure \ Stress}{Allowable \ Stress}$$
$$\tau = G \frac{\phi r}{L}$$
$$\phi = \frac{TL}{GJ}$$
$$J_{solid} = \frac{\pi d^4}{32}$$
$$J_{hollow} = \frac{\pi (d_o^4 - d_i^4)}{32}$$
$$e = \frac{FL}{EA} + L\alpha\Delta T$$

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#### PROBLEM #1 (40 points)

The bar **ABC** is a rigid body and it is held in place by two deformable bars (**AD** and **BE**). Bars **AD** and **BE** are made of the same material and have the same cross sectional area. The length of **AD** is twice the length of **BE**.



If a point moment  $M_{\rm C}$  is applied to point **C**, find:

- a. normal stress in the bar **AD**.
- b. the minimum diameter of the pin at point **D** to the nearest mm with a factor of safety FS=3, if the material of the pin has shear strength of 400 MPa.

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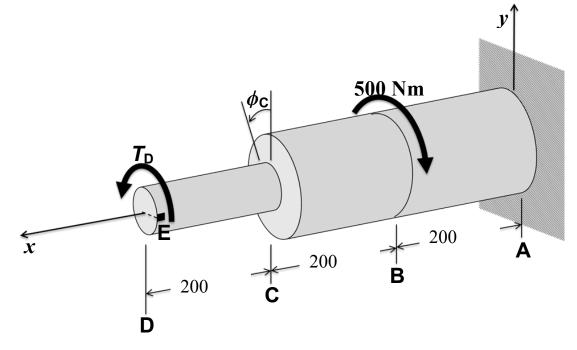
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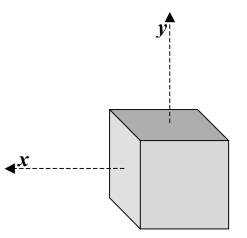
#### PROBLEM #2 (40 points)

The steel shaft **AD** (G=80GPa) is subjected to torsional loads at points **B** and **D**. The diameters are  $d_1=50 \text{ mm}$  and  $d_2=25 \text{ mm}$ .

- (a) Determine the torque  $T_D$  at **D** that would make the rotation at **C** equal to zero, that is make  $\phi_C = 0$ .
- (b) Determine the stress at point **E** and draw the state of stress in the stress element in the figure below.



Draw the state of stress of point **E** in the stress element:



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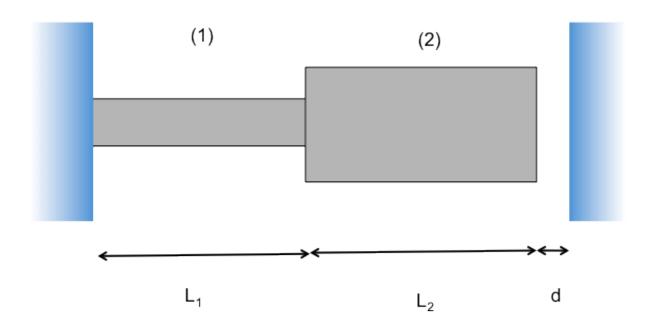
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### PROBLEM #3 (20 points)

The two rod element shown in the figure below is stress free when they are assembled together. The temperature in element (2) is increased by  $\Delta T$  such that the gap, d, is closed, find the value of  $\Delta T$  in terms of L<sub>1</sub>, A<sub>1</sub>, E<sub>1</sub>,  $\alpha_1$  and L<sub>2</sub>, A<sub>2</sub>, E<sub>2</sub>,  $\alpha_2$ 



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